# De novo detection and accurate inference of differentially methylated regions

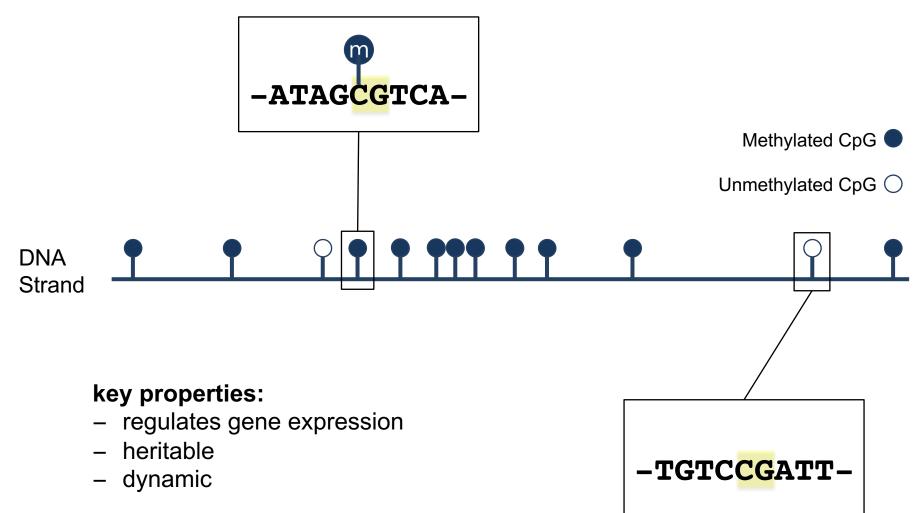
Keegan Korthauer, PhD

AISC, Greensboro, NC 6 October 2018

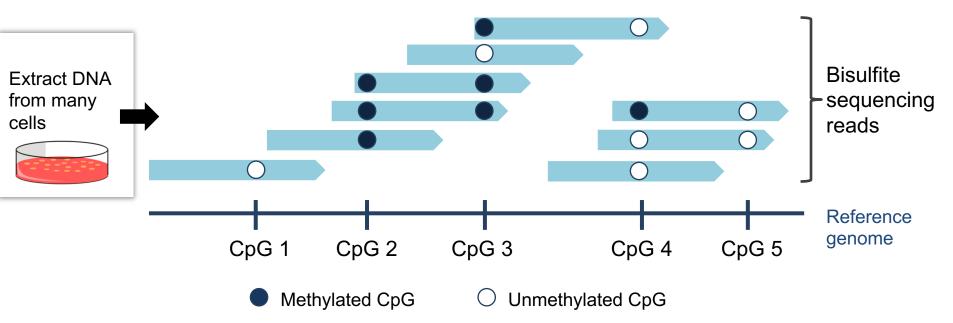




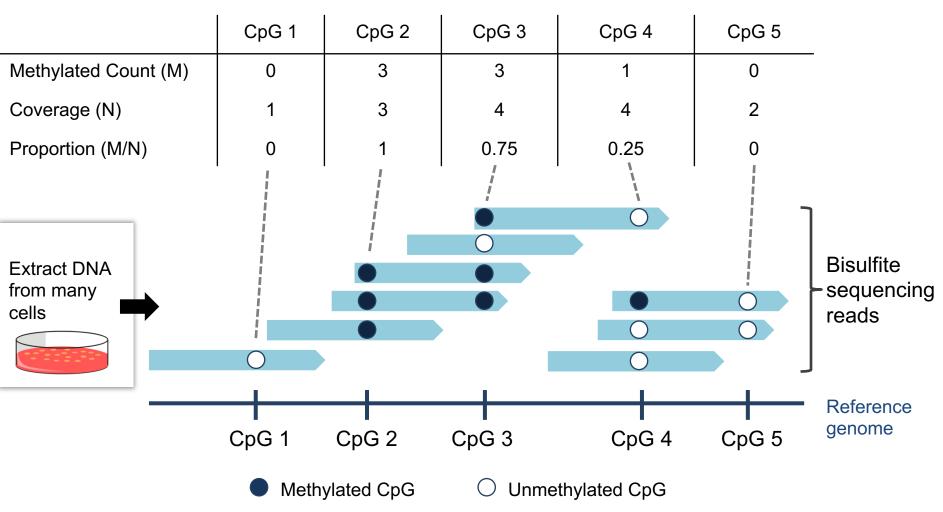
### DNA Methylation: The fifth base?



#### Whole Genome Bisulfite Sequencing (WGBS)

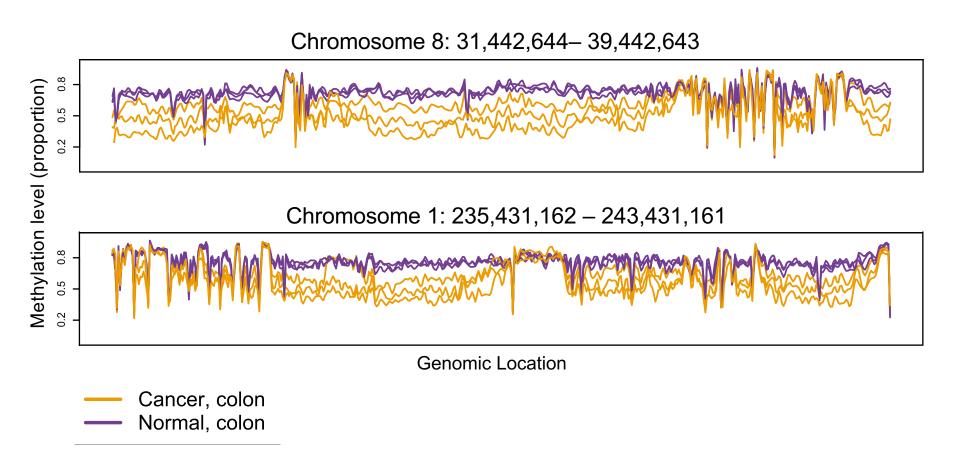


## Whole Genome Bisulfite Sequencing (WGBS)

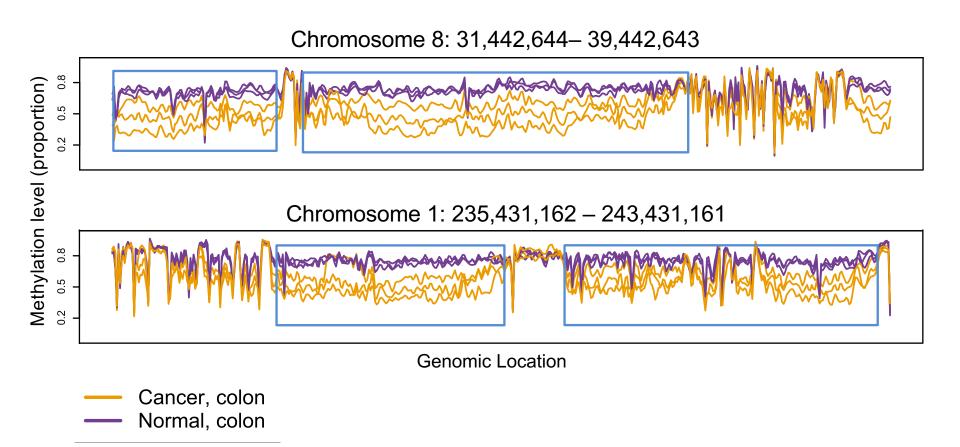


#### **Methylation Sequencing Data**

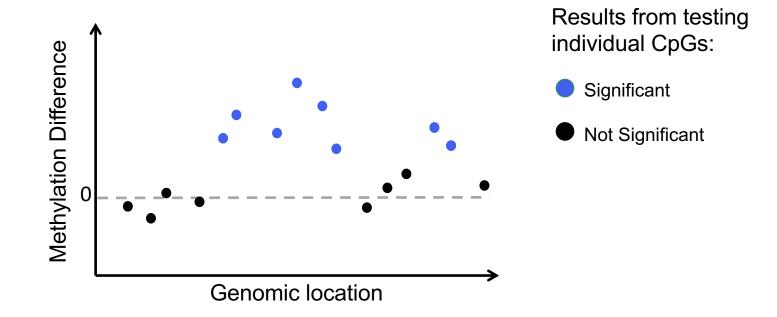
**Differentially Methylated Regions (DMRs)** 



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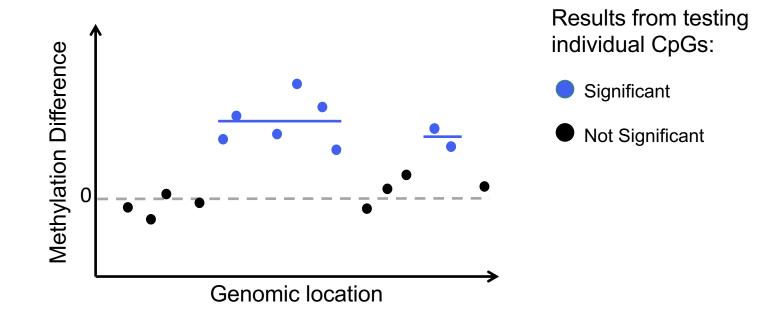
#### Previous methods: Grouping significant CpGs



#### Examples:

- Bsmooth (Hansen et al., 2012)
- DSS (Feng et al., 2014; Wu et al., 2015)

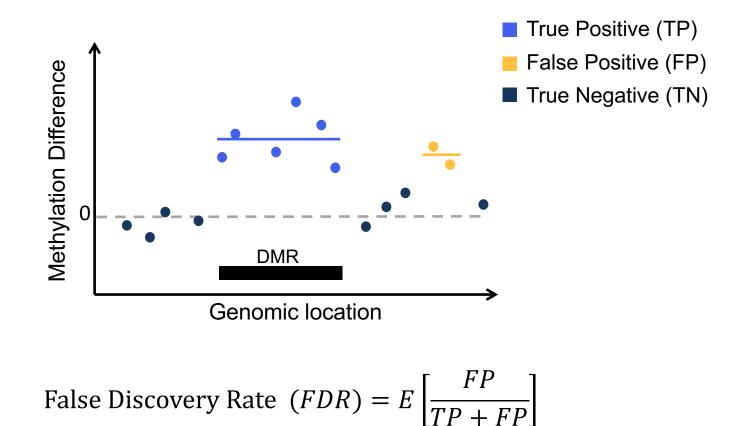
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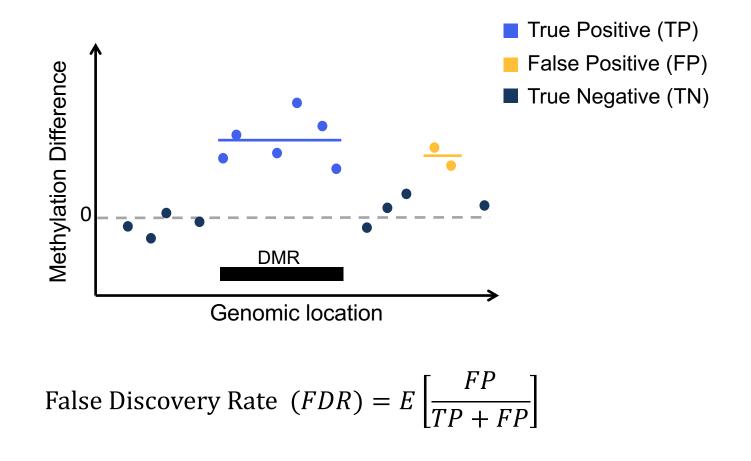
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#### Error rate not controlled at the region level

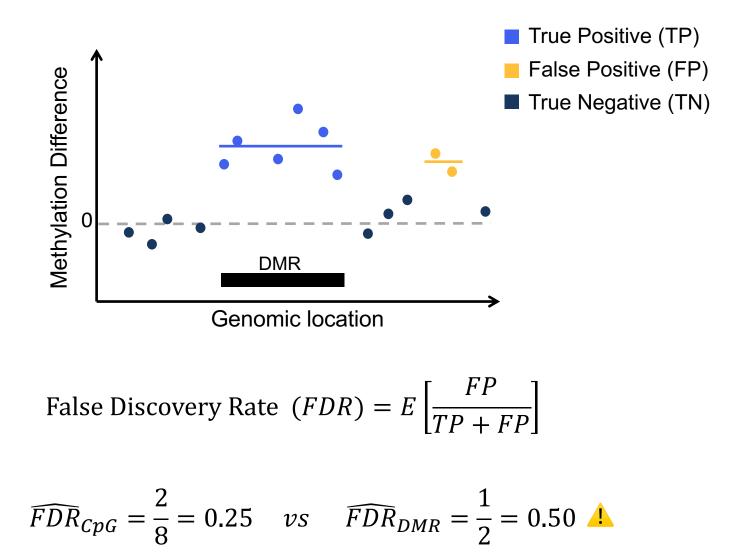


#### Error rate not controlled at the region level



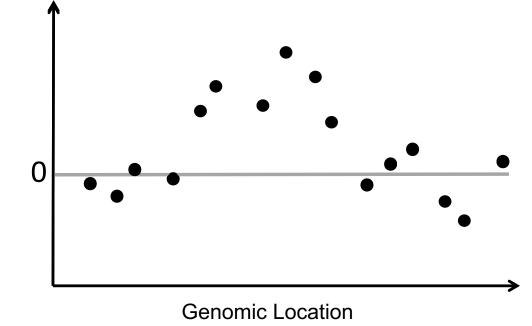
$$\widehat{FDR}_{CpG} = \frac{2}{8} = 0.25$$

#### Error rate not controlled at the region level



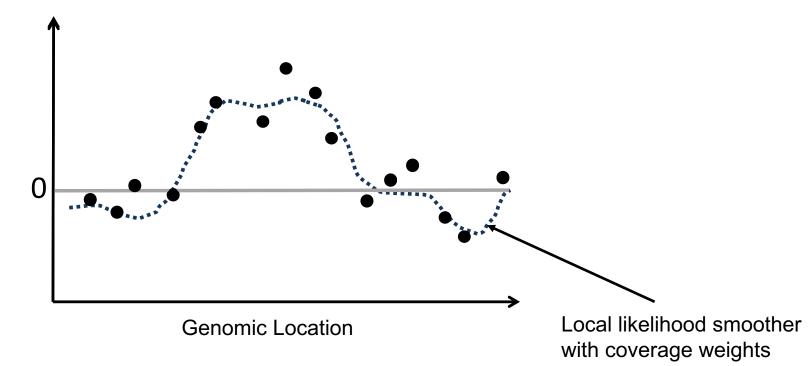
#### dmrseq: (1) Detect de novo candidate regions

Genome-wide scan of CpG methylation difference



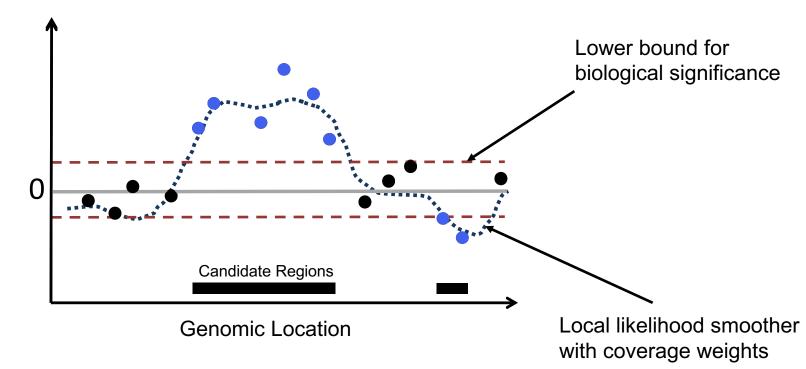
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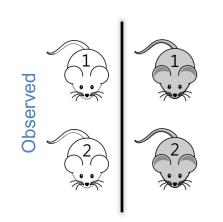
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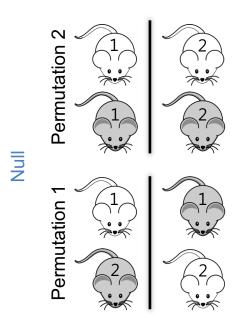
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#### dmrseq: (2) Assess region-level signal

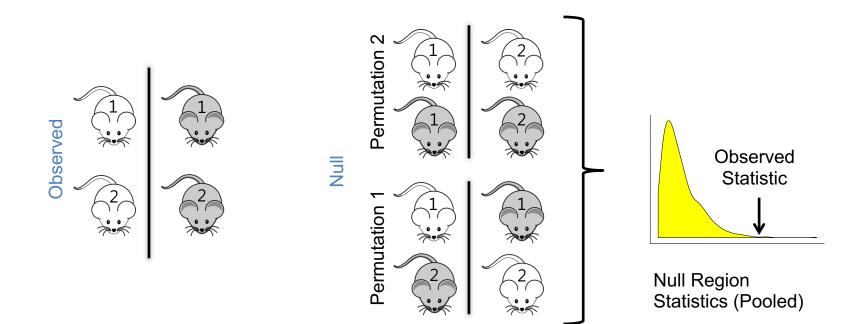
- Formulate region-level summary statistic
- Compare region statistics against null permutation distribution to evaluate significance





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**CpG level:** $M_{ijr} | N_{ijr}, p_{ijr} \sim Bin(N_{ijr}, p_{ijr})$ <br/> $p_{ijr} \sim Beta(a_{irs}, b_{irs})$ <br/> $\pi_{irs} = \frac{a_{irs}}{(a_{irs}+b_{irs})}$  $M_{ijr}$  = methylated read count<br/> $N_{ijr}$  = total coverage<br/> $p_{ijr}$  = methylation proportion<br/> $\pi_{irs}$  = methylation proportion for condition si indexes CpGs<br/>j indexes samples, where  $j \in C_s$ <br/>s indicates biological condition

CpG level:

$$\begin{split} M_{ijr} | N_{ijr}, p_{ijr} &\sim Bin(N_{ijr}, p_{ijr}) \\ p_{ijr} &\sim Beta(a_{irs}, b_{irs}) \\ \pi_{irs} &= \frac{a_{irs}}{(a_{irs} + b_{irs})} \end{split}$$

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- *i* indexes CpGs *j* indexes samples, where  $j \in C_s$
- s indicates biological condition

 $\pi_{irs}$  = methylation proportion for condition s

**Region level:**  $g(\boldsymbol{\pi}_r) = \boldsymbol{X}\boldsymbol{\beta}_r$  $= \sum_{l=1}^{L_r} \beta_{0lr} \mathbf{1}_{[i=l]} + X_j \beta_{1r}$ 

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**Region level:**  

$$g(\boldsymbol{\pi}_{r}) = \boldsymbol{X}\boldsymbol{\beta}_{r}$$

$$= \sum_{l=1}^{L_{r}} \beta_{0lr} \mathbf{1}_{[i=l]} + X_{j}\beta_{1r}$$

$$\text{loci-specific intercept}}$$
order of the condition effect
$$H_{0}: \beta_{1r} = 0$$

#### Region-level model fitting

Generalized Least Squares (GLS) with variance stabilizing transformation:

arcsine link transformation (Park & Wu 2016)  $Z_{ijr} = \arcsin(2 M_{ijr}/N_{ijr} - 1)$ 

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$$Var(M_{ijr}/N_{ijr}) \propto \pi_{ijr}(1 - \pi_{ijr})$$
 but  $Var(Z_{ijr}) \approx \frac{1 + (N_{ijr} - 1)\gamma_{irs}}{N_{ijr}}$   
Variance depends on mean Variance independent of mean

$$Z_r = X\beta_r + \epsilon_r$$
  
where  $E[\epsilon_r] = 0$  and  $Var[\epsilon_r] = V_r$   
 $\hat{\beta}_r = (X^t V_r^{-1} X)^{-1} V_r^{-1} X^t V_r^{-1} Z_r$ 

Account for variability across samples and locations

(1) Correlation: Continuous Autoregressive (CAR) model

$$\rho(Z_{ijr}, Z_{kjr}) = e^{-\phi_r |t_{ir} - t_{kr}|}$$
  
$$t_{ir} = \text{genomic location of CpG } i$$

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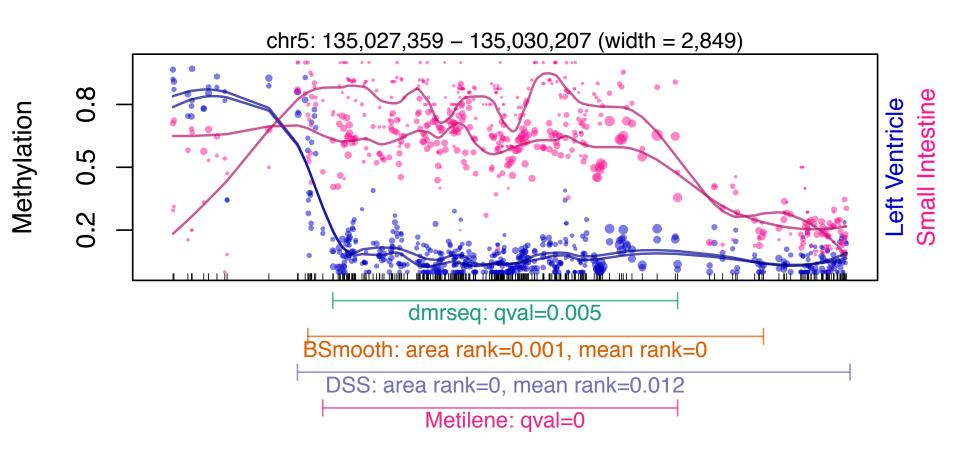
(3) Within sample correlation

Independent samples



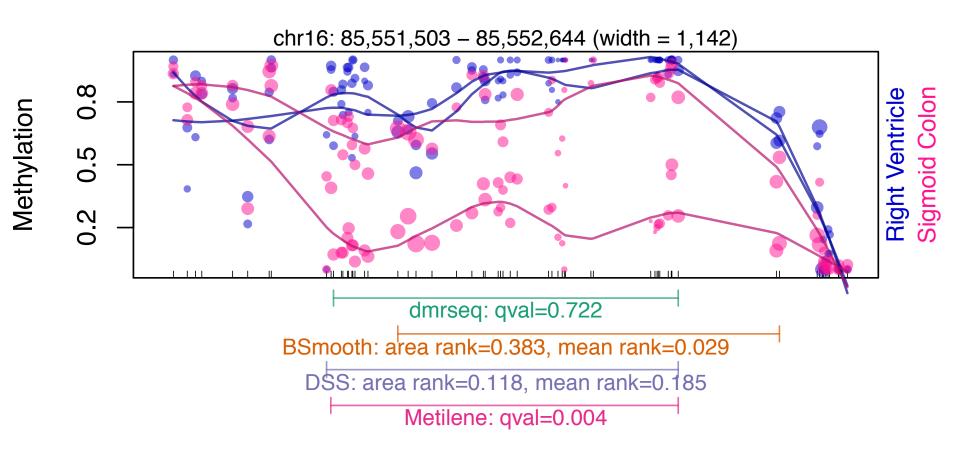
 $Cov(Z_{ijr}, Z_{ij^*r}) = 0$ 

Example: highly ranked DMR across all methods



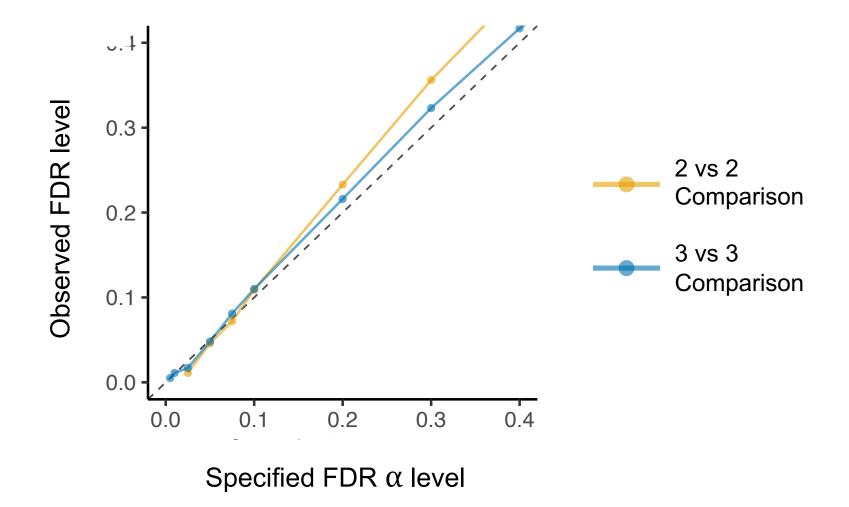
Korthauer et al., 2018 (*Biostatistics*)

Example: dmrseq accounts for sample variability

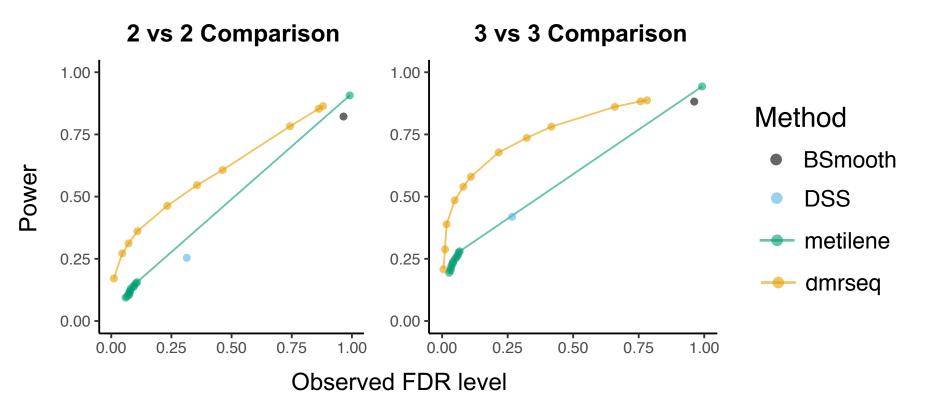


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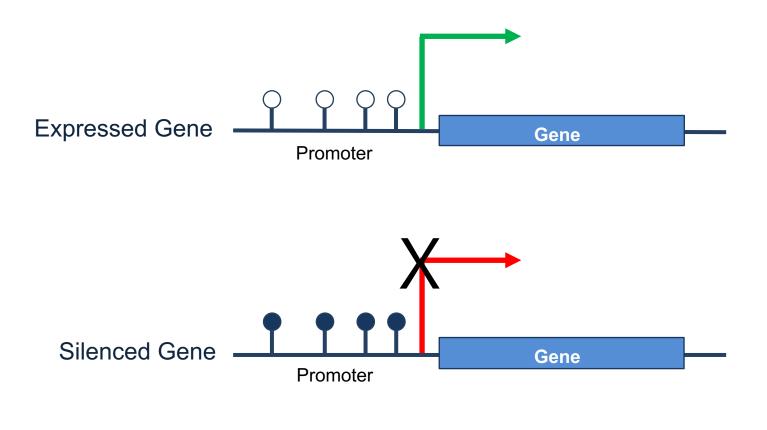
#### Accurate FDR control in simulation



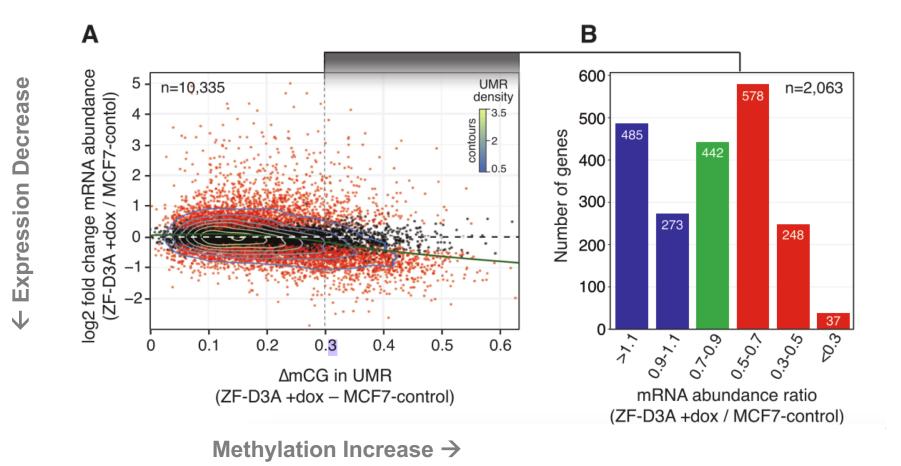
High sensitivity and specificity in simulation

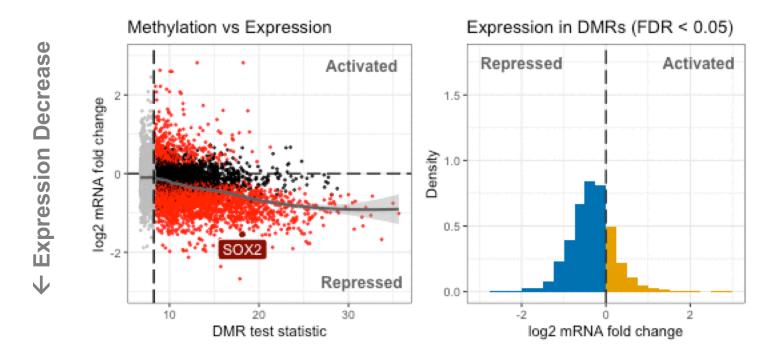


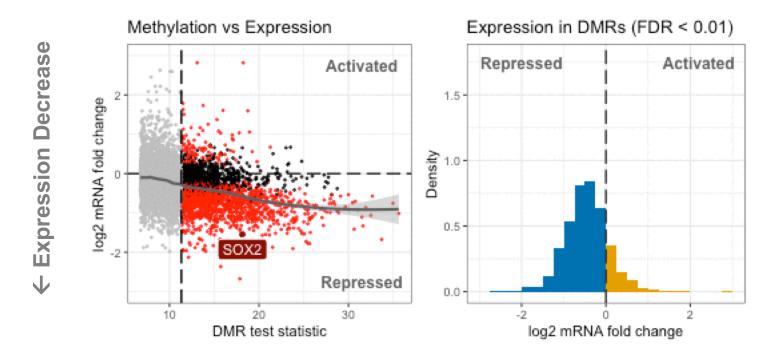
Methylation is a transcriptional silencing mark

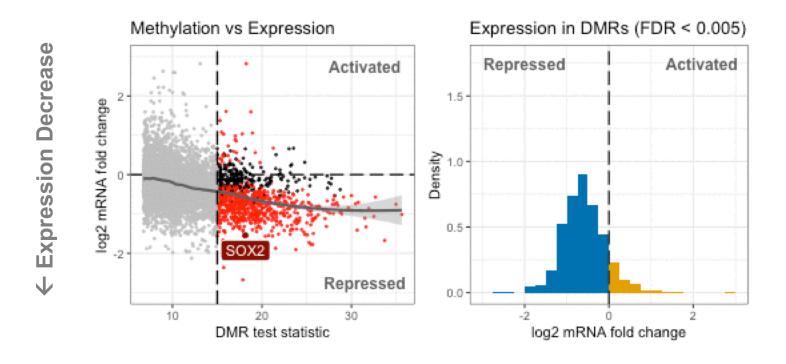


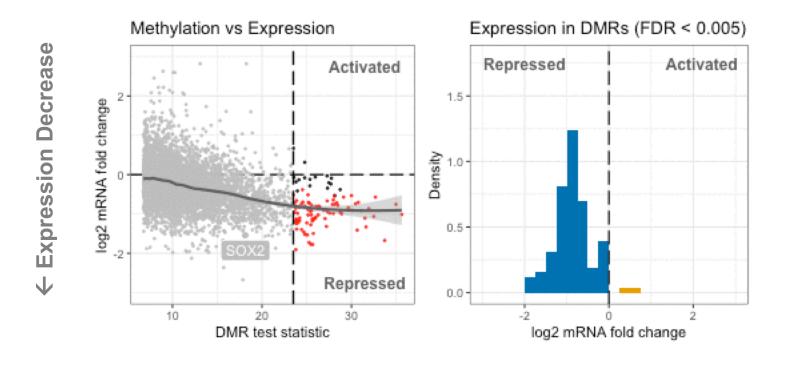
# Landmark study finds little influence of methylation on expression





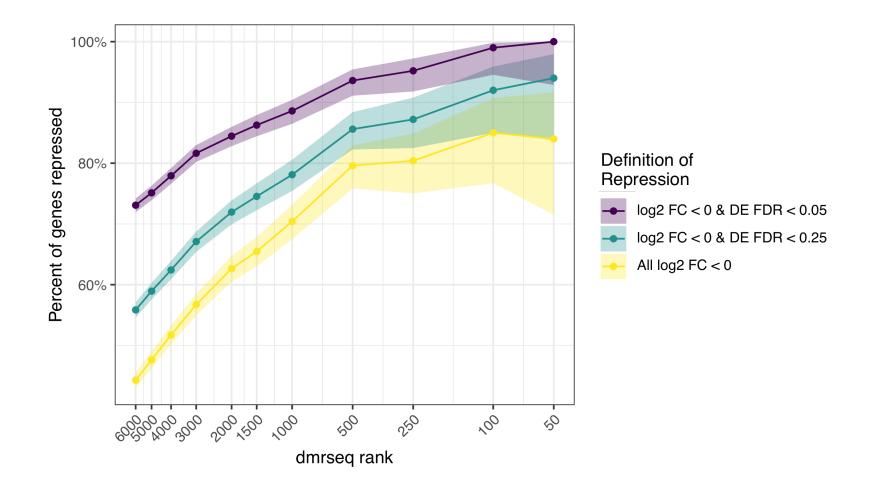






Korthauer & Irizarry, 2018 (bioRxiv)

#### Enrichment increases with significance level



# Summary

- dmrseq identifies and prioritizes DMRs from bisulfite sequencing experiments
  - **Models signal at the region level** in order to account for sample and spatial variability
  - Achieves accurate False Discovery Rate control by generating a null distribution that pools information across the genome
  - Reveals the expected link between DNA methylation and gene expression in the reanalysis of a landmark study
- Learn more:
  - Methodology detailed in Korthauer et al., 2018 (Biostatistics)
  - Reanalysis of Ford study detailed in Korthauer & Irizarry, 2018 (bioRxiv)
  - R package dmrseq available on Bioconductor





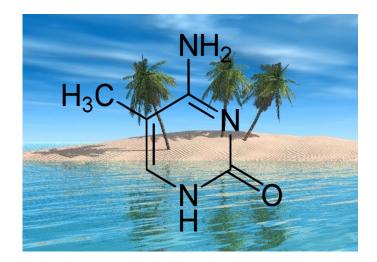
#### Acknowledgements





Dana-Farber/Harvard Chan Rafael Irizarry Claire Duvallet Stephanie Hicks Patrick Kimes Yered Pita-Juarez Alejandro Reyes Chinmay Shukla Mingxiang Teng

<u>Collaborators</u> Sutirtha Chakraborty Yuval Benjamini



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